Write your questions here!

### 1.3 Measuring Angles

NOTES:

| TERM | Name it | Picture |
| :---: | :---: | :---: |
| Angle = Two rays with | By its vertex: |  |
|  | By a number: |  |
|  | By a point on each ray <br> and the vertex: |  |

$m \angle D O G=$
$\angle D O G=$


## Equal versus Congruent

$m \angle A=70^{\circ}$
$m \angle B C A=70^{\circ}$

$\angle 1 \cong \angle 2$


Estimate and Measure Angles Using a Protractor


Classify Angles

Use the diagram to answer the following:
$\angle C B J \cong \square$
$\angle F J H \cong \square$
If $m \angle E F D=75$, then $m \angle J A B=\square$.
If $m \angle G H F=130$, then $m \angle J B C=\square$.


| Term | Picture |
| :---: | :---: |
| Angle bisector $=$ A segment, ray, or line that <br> divides an angle into | $\overrightarrow{K E}$ is the angle bisector |
| of $\angle K$ |  |



Given
$\angle L O V \cong \angle V O E$
$m \angle L O V=7 x-14$
$m \angle V O E=$
Find $x$

Find $\boldsymbol{m} \angle \boldsymbol{L O V}$

## Summarize your notes:

### 1.3 PRACTICE

Measure the following angles, then classify as acute, right, obtuse, or straight.

2.


Draw a figure that fits each description.
3. an obtuse angle, $\angle R S T$
4. a straight angle, $\angle R D M$
5. a right angle, $\angle R D M$ with an angle bisector of $\overline{T D}$.

Name the vertex and sides of the angle.
6.

Vertex $=$
Sides $=$

7.
Vertex =

Sides $=$


Name the angle four different ways.

9.


Name all the angles that have $V$ as a vertex.
10.

11.


## List all the information given by the diagram.



## Label the picture and use it to answer the following.

15. 

## Given

$\overrightarrow{E I}$ is the angle bisector of $\angle M E K$ $m \angle M E I=34^{\circ}$
$m \angle I E K=3 x+7$
Find $x$

17.

Given
$\overrightarrow{T M}$ is the angle bisector of $\angle I T Y$ $m \angle I T M=3 x+15$
$m \angle M T Y=7 x-13$
Find $x$

18.

## Given

$\angle R B O \cong \angle S B O$
$m \angle S B O=5 x+29$
$m \angle R B O=2 x+20$
Find $x$


| ALGEBRA REVIEW |  |  |
| :---: | :---: | :---: |
| $\begin{gathered} \text { SOLVE } \\ -12=10-4 y \end{gathered}$ |  | MULTIPLY (distribute) $5(4 x-3)$ |
| $\begin{gathered} \text { SOLVE } \\ 13-2 y=5 y-8 \end{gathered}$ |  | FACTOR <br> Factor out the greatest common factor (undistribute) $10 x^{2}+15 x$ |
|  | 1.3 APPLICATION |  |

1. List all the information given by the diagram. Cles
2. Draw the picture, label everything, find $x$, find $m \angle H A T$ Obtuse angle $\angle C A T$ with angle bisector of $\overrightarrow{A H}$
$m \angle C A H=3 x+56$
$m \angle H A T=2 x+60$

Watch the application walk through video if you need extra help getting started!

## 3. Geometric Shape

Mr. Kelly loves isosceles trapezoids (below). Help him mark his favorite shape with the following truths:
Isosceles Trapezoid TIMY
a. $\angle I T A \cong \angle M Y C$
b. $\angle T I M \cong \angle I M Y$
c. $\angle I A C$ and $\angle M C Y$ are right angles
d. $\overline{T I} \cong \overline{M Y}$
e. $\overline{A T} \cong \overline{C Y}$
f. $\overline{M I} \cong \overline{C A}$


## 4. Coordinate Geometry

a. Graph the points
$T(-4,6)$
$R(2,-3)$
$I(10,-2)$
b. Connect the points in order to make a triangle, $\Delta T R I$.
c. Name the obtuse angle.
d. Measure the obtuse angle.

e. Find the coordinates of the midpoint of $\overline{T I}$.

Plot on this point on the graph as point $P$
f. Draw $\overrightarrow{R P}$ are the graph.
g. If $\overrightarrow{R P}$ was the angle bisector of $\angle T R I$, what would have to be true!

## 5. Proof

Label the picture and fill in the missing reasons in the two column proof.
Given: $\overrightarrow{O B}$ is the angle bisector of $\angle R O S$ $m \angle R O B=35$
$m \angle B O S=4 x+3$
Prove: $x=8$


| STATEMENT | REASON |
| :--- | :--- |
| 1. $\overrightarrow{O B}$ is the angle bisector of $\angle R O S$ <br> $m \angle R O B=35$ <br> $m \angle B O S=4 x+3$ | 1. |
| 2. $\angle R O B \cong \angle B O S$ | 2. |
| $3.35=4 x+3$ | 3. |
| $4.32=4 x$ | 4. |
| $5.8=x$ | 5. |

Some possible reasons:

- Given
- Addition Property of Equality
- Subtraction Property of Equality
- Multiplication Property of Equality
- Division Property of Equality
- Substitution
- Distributive Property
- Combine like terms
- Definition of $\qquad$
Postulate
Theorem

